

Figure 1

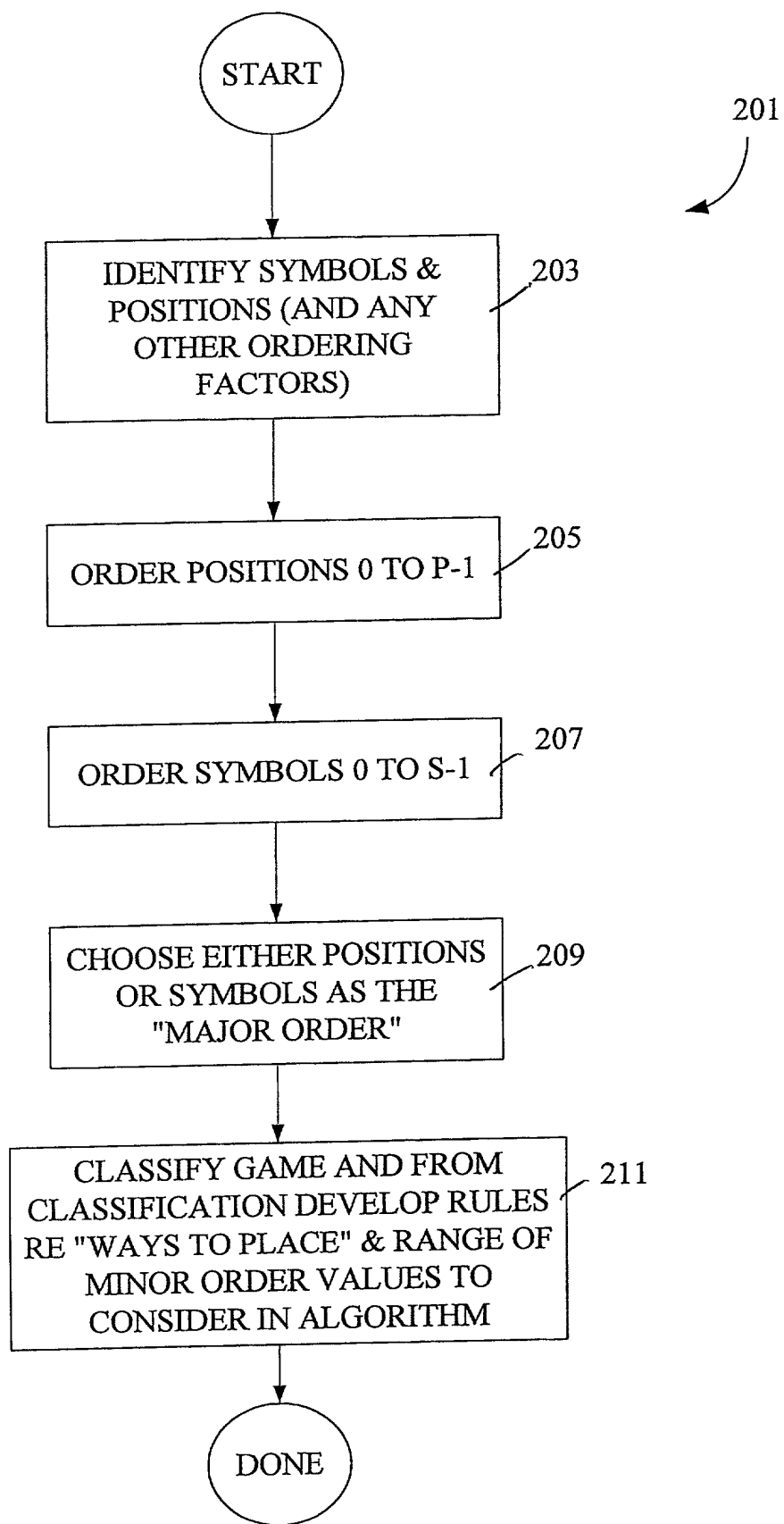


Figure 2

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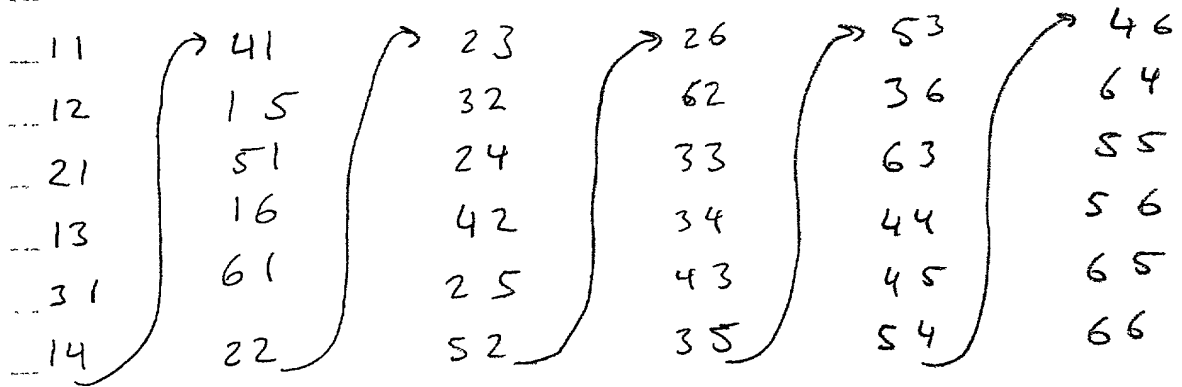
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2h	3h	4h	5h	6h
2h	3h	4h	5h	7h
2h	3h	4h	5h	8h
		.		
		.		
		.		
2h	3h	4h	5h	Ah
2h	3h	4h	6h	7h
2h	3h	4h	6h	8h
		.		
		.		
		.		
3h	4h	5h	6h	7h
3h	4h	5h	6h	8h
		.		
		.		
		.		
9s	10s	Js	Qs	Ks
9s	10s	Js	Qs	As
		.		
		.		
		.		
10s	Js	Qs	Ks	As

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Figure 3

## Symbols as Major Order (Two Dice)



## Position as Major Order (Two Dice)

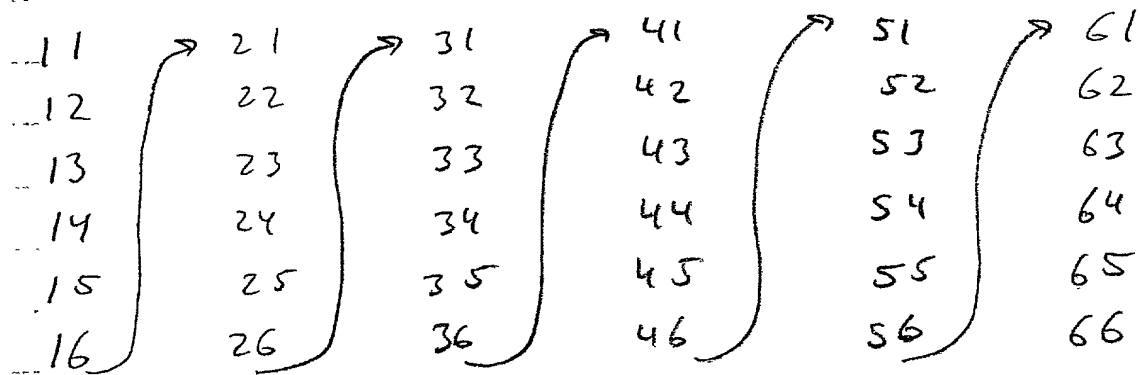


Figure 4

Poker hand  
under consideration

3H KH 2D 7C 4S

number  
skipped over  
at position  $P=0$

2H	3H	4H	5H	6H
2H	3H	4H	5H	7H
⋮				
2H	10S	JS	QS	KS
2H	JS	QS	KS	AS
3H	4H	5H	6H	7H
3H	4H	5H	6H	8H
⋮				
3H	4H	JS	QS	KS
3H	4H	QS	KS	AS
3H	5H	6H	7H	8H
3H	5H	6H	7H	9H

ways to  
place  
3H 4H...

number skipped  
over at  
position  $P=1$

3H	QH	JS	QS	KS
3H	QH	QS	KS	AS
3H	KH	AH	2D	3D
3H	KH	AH	2D	4D

10S JS QS KS AS

Figure 5

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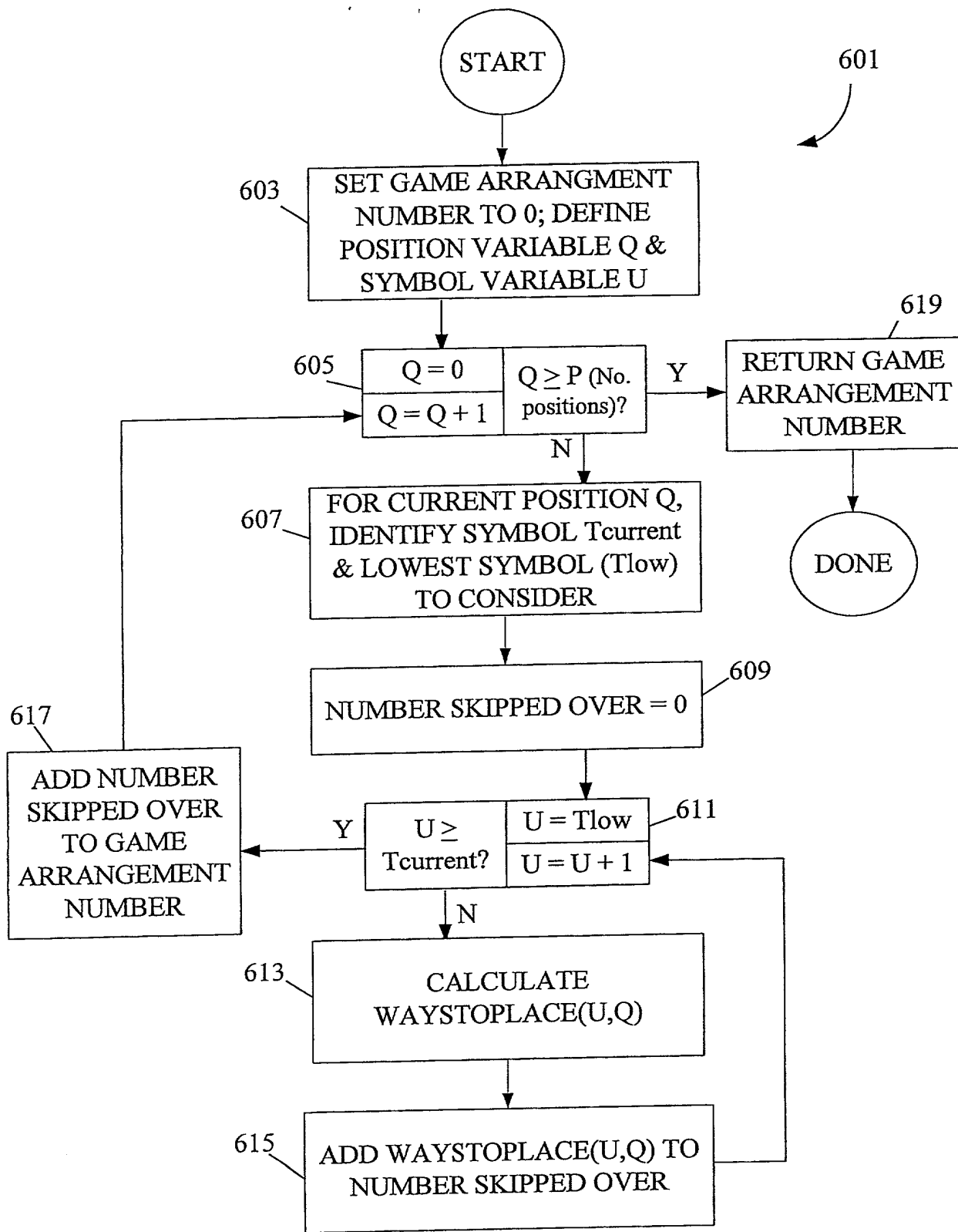


Figure 6

Convert KH, 7C, 4S, 8D, 3H to a number

Order the cards!  $\rightarrow$  3H, KH, 8D, 7C, 4S

Start w/ # = 0

position  $Q = 0$

symbol  $T = 1$  (3H) 3H ---

$U = 0$  (2H)

compute # of ways to have 2H --- (draw  $\binom{52-0-1}{5-0-1}$ )  
 $= 249,900$

#  $= 0 + 249,900 = 249,900$

position  $Q = 1$ , symbol  $T = 1$  (KH) 3H KH ---  
 $U = 2$  (4H) current show = 4H

compute # of ways to place 3H 4H ---  
 $= 18,424$

#  $= 249,900 + 18,424 = 268,324$

$U = 3$  (5H)

compute ways to place (3H 5H ---) = 17,296

#  $= 268,324 + 17,296 = 285,620$

$U = 4$  (6H)

compute ways to place (3H 6H ---) = 16,215

#  $= \# + 16,215 = 301,835$

$U = 5$  (7H)

compute ways to place (3H 7H ---) = 15,180

#  $= \# + 15,180 = 317,015$

$U = 6$  (8H)

compute ways to place (3H 8H ---) = 14,190

#  $= \# + 14,190 = 331,205$

$U = 7$  (9H)

compute ways to place (3H 9H ---) = 13,244

#  $= \# + 13,244 = 344,449$

$U = 8$  (10H)

compute ways to place (3H 10H ---) = 12,341

#  $= \# + 12,341 = 356,790$

Figure 7 over  $\rightarrow$

$$U=9 \text{ (JH)}$$

$$\text{compute ways to place (3H 3H ---)} = 11,480$$

$$\# = \# + 11,480 = 368,270$$

$$U=10 \text{ (QH)}$$

$$\text{compute ways to place (3H QH ---)} = 10,660$$

$$\# = \# + 10,660 = 378,930$$

$U=11 \text{ (KH)}$  This is over symbol T, being considered. Stop the B.Z. loop & go to the next position.

Position Q=2, symbol T=19 (80)

by placing this card

#s skipped over by 3H <sup>U=9</sup> (JH) -

$$= \text{ways to place (2H ---)}$$

placing this card

# skipped over by 3H KH ---

$$= \text{ways to place (3H 4H ---)}$$

$$+ \text{ways to place (3H 5H ---)}$$

$$+ \text{ (3H 6H ---)}$$

$$+ \text{ (3H 7H ---)}$$

$$+ \text{ (3H 8H ---)}$$

$$+ \text{ (3H 9H ---)}$$

$$+ \text{ (3H 10H ---)}$$

$$+ \text{ (3H QH ---)}$$

# skipped over by (3H KH 8D -)

$$= \text{ways to place (3H KH AH ---)}$$

$$+ \text{ " 3H KH 2D}$$

$$+ \text{ " 2H KH 2D}$$

$$+ \text{ " 3H KH 4D}$$

$$+ \text{ " 7D}$$

Figure 7  
(continued)



	Position Dependent	Position Independent
with Replacement	$\exp(x, y)$ $0 \leq u < T_{curr}$ $T_{low} = 0$	$C(x, y)$ $T_{prev} \leq u < T_{curr}$ $T_{low} = T_{prev}$
without Replacement	$P(x, y)$ $0 \leq u < T_{curr}$ (excluding previously used values) $T_{low} = 0$	$C(x, y)$ $T_{prev} < u < T_{curr}$ $T_{low} = T_{prev} + 1$

Figure 8

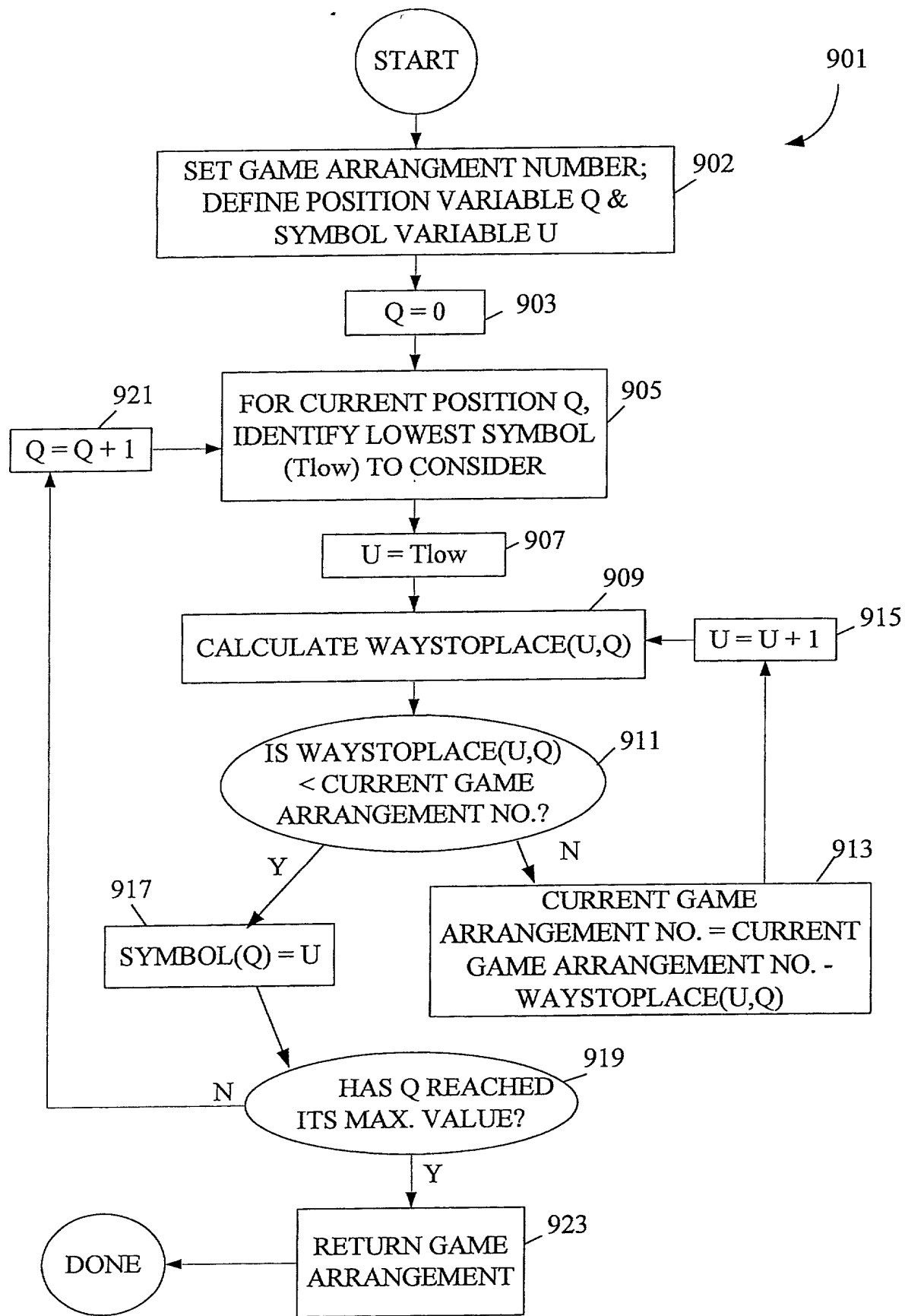
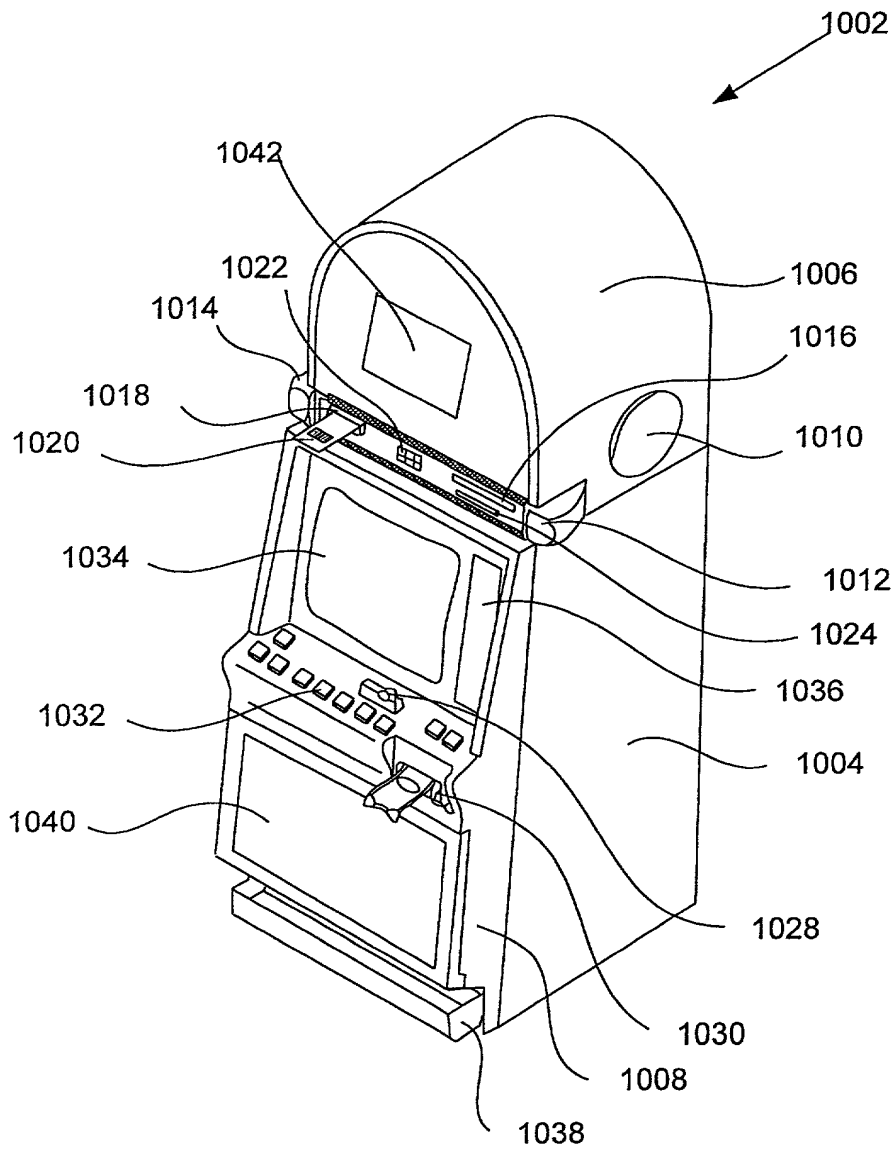


Figure 9

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**Figure 10**

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**Figure 11**

